# **Population Flows and the Speed of History**

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# Population decline as a global priority

Enduring low fertility may characterize the coming centuries

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Put simply, there will be **fewer people** and/or these people will have **worse lives** 

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There's *something* perverse about stuffing people into technologically immature states to speed up progress

This project:

- 1. Shows that standard models imply that increasing the size of the population (only) serves to **speed up history** 
  - ► Technologies and people are "brought forward" at the same speed
  - So no individual is made better off: same quality of life, but they occur earlier

Uses this framing to sort out concerns about population decline
The key issue is how the model ends (Ord, Forthcoming)

- If a deadly asteroid is coming in 1000 years, speeding up history has value
- If extinction is endogenous, that is (presumably) brought forward just as fast as population and technology

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#### Roadmap

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- 2. Formal derivation in continuous model
  - ► New reading of standard semi-endogenous growth model
- 3. More speculative, sci-fi considerations (these are necessary!)
  - If population size considerations are equivalent to speeding things up, it matters what is happening at the end of history

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For concreteness, let's say it takes 100,000 people-years

# Is it good to increase population sizes?

Suppose a benevolent planner could pick the population, N

Should she pick a large population, to speed up progress? Let's focus on choosing between N = 100 or N = 500

► So it takes either 1000 years or 200 years to get to *H*, respectively Is it better to get there faster?

From the perspective of each individual, no

Individuals can be identified by their order of birth, i; assume they live for one period

- i = 5 is the 5th person ever born
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We've stipulated that it takes 100,000 people-years to get to H

- ► So the first i ≤ 100000 don't care that you've sped up technological progress in this way
- (They have more contemporaries, but I'll set that aside as second-order) Do people i > 100000 care?

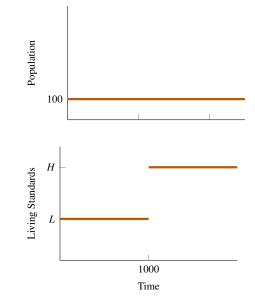
What changes for the people who come afterwards?

Suppose for the moment that person i = 100001 will come into existence with certainty

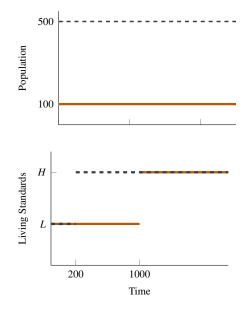
- ► She lives in the *H*-state, *no matter what*
- The only thing on the line for her is when she comes into existence

So, any individual who comes into existence with certainty is made no better off by increasing population sizes

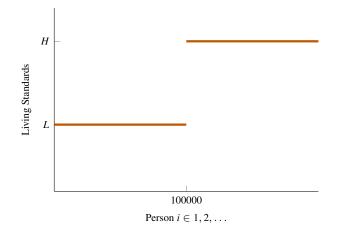
## Larger populations speed up technological progress...



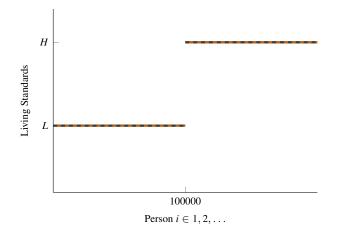
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**Result**: Being in a larger population world, with faster technological progress, has not made anyone's life better

**Corollary**: If there is a pre-determined number of people who will ever live, then the population size in any given period is normatively irrelevant, even if we accept that it speeds up progress

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• We need to think about exinction risks

Suppose an asteroid will kill everyone in year 500

• Or any other year with some exogenous probability

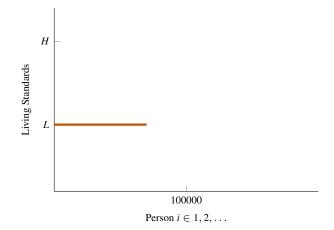
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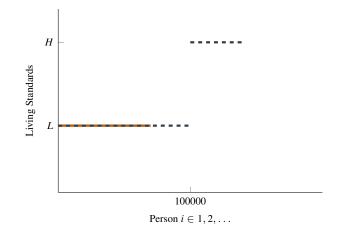
**Trivial solution**: total (and average) utility is increasing in the size of the flow population

▶ For N = 100 we get to the first 50,000 life-years; for N = 500 we get to the first 250,000

# Larger populations are valuable in this case



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The larger population gets through more of this shared, potential history

### Case II: Endogenous extinction

Two ways we might intuitively model existential risk:

- 1. We invent something that leads to our extinction
  - This is the AGI case: suppose H comes with a technology that kills everyone soon after its reached
- 2. We invent something that makes it possible for a rogue individual or group to kill everyone
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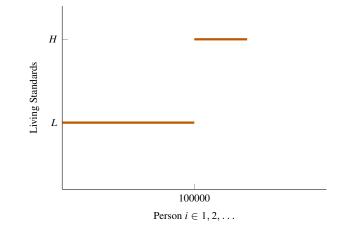
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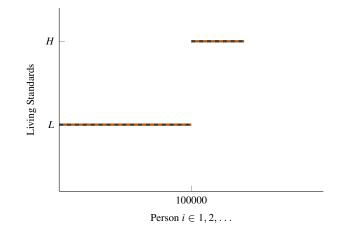
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With endogenous extinction of these sorts, we **bring forward** extinction at the same rate we bring forward people and innovations

# Larger populations are no better off in this case



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The only difference is that the small population exists for longer, but time is not on this graph

#### In expectation, both channels matter

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However, the *value* of speeding up history is **decreasing in the share of risk that's endogenous** 

- This should influence priorities
- EV of adding a person is  $p_{exo} \times u_I$ 
  - $p_{exo}$  is probability of exogenous extinction (ever)
  - ► *u<sub>I</sub>* is utility of last individual

This idea holds more generally, and in leading models

**Semi-endogenous growth model:** Percent growth in TFP (*A*) is increasing in *N*, but suffers from dynamic diminishing returns ( $\beta$ )

$$\frac{\dot{A}}{A} = \alpha N(t)^{\lambda} A(t)^{-\beta}$$

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"Simplified model" sets  $\lambda = 1$ 

- λ < 1 (duplication) implies that to maximize innovation that M people create, spread them out into M non-overlapping lives</li>
- λ > 1 (collaboration) implies that to maximize innovation that M people create, stack them all in one year

Neither seems plausible in limits, so I'll assume that these offset  $(\lambda = 1)$ 

Cumulative people-years by t pins down  $A_t$ 

Integrate with respect to time:

$$A(t) = \left(\beta\alpha \underbrace{\int_{0}^{t} N(\tau) d\tau}_{\text{Decelsroom}} + A_{0}^{\beta}\right)^{\frac{1}{\beta}}$$

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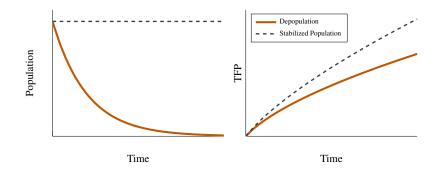
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Implication: by the time the *i*th person lives, the level of technology they experience is **invariant** to *when* they live

And the path of population could have taken any arbitrary path to deliver that integrated value

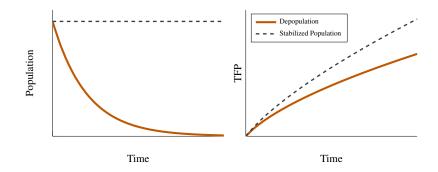
So everything from that simple model will be the same here, except that living standards now take continuous values

# Larger populations speed up technological progress



All time periods have a higher average living standard

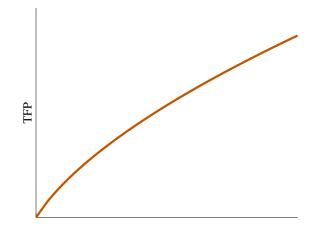
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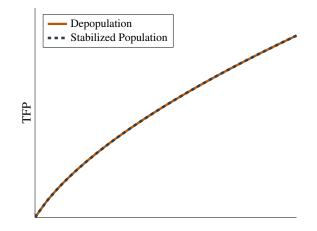
• But we care about living standards for **people**, not time periods

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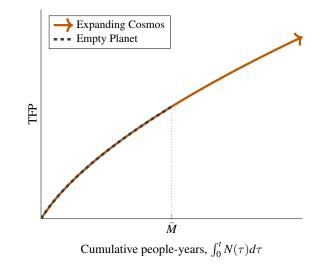
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• But, people  $\{\overline{M} + 1, ..., \infty\}$  exist in the growth regime In endogenous growth models,  $g \ge 0$  is good *because we never go extinct* 

#### Again: *i*th person has same technology available



"Empty Planet" cuts short the same trajectory by voluntary extinction

#### Endogenous, continuous, existential risk can be formalized

Consider two simple versions of a relationship between x-risk and A

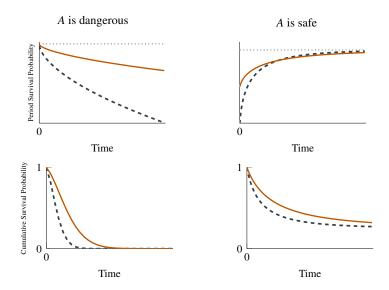
$$P(survive(t)|alive) = \frac{1}{1 + \theta N(t) \times A(t)^{\phi}}$$
$$P(survive(t)|alive) = \frac{1}{1 + \theta N(t) \times e^{-\phi A(t)}}$$

**Increasing** in *N*: you need the technology *and the bad actor* for extinction

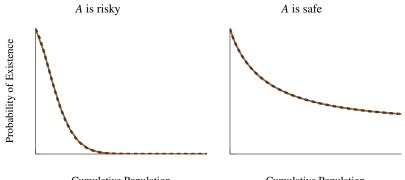
► If there are only 10 people alive, seems unlikely one will engineer a pandemic

What's the probability of getting to the *i*'th person in this framework?

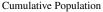
# Humanity survives longer with smaller populations Blue dotted population is twice as large in each period



# No surprise: Probability of getting to *i*th person is constant



Cumulative Population



In simple specifications, we can't use population to grow us to safety

- ▶ This relies on x-risk increasing proportionately with N
- Result differs from Aschenbrennar (2020)

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I remain confused about all of this!

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# Thanks!